# Methods for Software Visualization of Large Graph Data Structures 

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#### Abstract

In this paper, three different methods for software visualization of large graph structures, respectively Rectangle, Intersection and Combined are presented. The basic concepts for using software development environments are outlined. Their capabilities for visual designing and event-oriented programming are discussed. A brief analysis of the basic features of the environment used to develop the ClipRect Monitor application is made. The main functions of this software are also presented. All experimental results in this study are generated with this application. According to the methodology, six graphs are prepared to determine the effectiveness of the three methods. The number of vertices and the edges of these graphs are proportional to the size of the drawing area (canvas). The drawing areas are also six and have different sizes, such that each subsequent area has a height and width twice the size of the previous one. Besides, for all areas, the width/height ratio is exactly 16:9. This ratio is widely used in monitors as well as laptops, mobile phones and tablets. The largest drawing area that the ClipRect Monitor application scanned during the experiments is $128000 \times 72000$ pixels. This scan is performed for graph G_6 with 1415 vertices and 100000 edges. The visualization area is diagonally positioned relative to the drawing area. For each visualization area, each of the three methods, respectively Rectangle, Intersection and Combined is performed. The Combined method executes the Rectangle method first and then the Intersection method. The results show that the Intersection method was the slowest compared to the other two methods in terms of the number of edges of the graph that are analyzed. When the visualization area is internal to the drawing area, the Rectangle method performs better than the Combined method. The Rectangle method gives the best result in terms of time for analysis and drawing of the edges of the graph. The Combined method combines the characteristics of the other two methods. This method is optimal in terms of the time of analysis of the need to draw the edges of the graph relative to the number of drawn edges.


Keywords— graph; large graphs; graph structure; software development; software visualization.

## I. INTRODUCTION

Graph theory is a scientific field that has evolved very rapidly in recent decades [1]. Complicated real problems can be represented by graphs [2] and [3]. Other similar problems are related to finding the shortest routes [4] and generating university timetables [5]. Problems from other scientific fields, such as [6]-[10] can also be described and analyzed by graphs. The graph structures can be stored in databases and retrieved by web services [11].

The visual representation of graphs is the process by which different geometric objects - lines, circles, and regular polygons are drawn on a computer screen. Typically, the $x$ and $y$ coordinates of a given vertex are known, or the coordinates of the two ends of an edge are known, i.e., these are the coordinates of the two vertices that are incident to this edge. When visualizing multigraphs, parallel edges are drawn using Bezier curves to avoid overlapping lines.

When, in a graph, the total number of vertices and edges is small (for example, in the order of hundreds to thousands), the drawing of a graph by geometric objects is performed relatively quickly (i.e., imperceptible to the user). When
increasing the number of vertices, respectively increasing the number of edges in a graph (up to hundreds of thousands, even millions), it is necessary to use methods to optimize the process of drawing the graph structure on the computer screen. Usually, large graph structures contain millions of objects (vertices and edges) and cover large areas, depending on the used units of measurement [12]. These areas are much larger than the size of a computer screen, i.e., much larger than the screen resolution. The distance between the two farthest vertices can be in the order of tens of thousands of pixels (depending on the real object represented by the graph structure).

For large graphs, one effective method is to draw from all elements of the graph (vertices and edges) only those that fall within the visible area of the screen [12]. This approach can be used when the area of the graph is much larger than the size of the computer screen. When drawing each vertex of a graph, it is checked whether its coordinates are internal to the visible area of the screen or not. Only those vertices of the graph that fall into the visible area of the screen are drawn, and the others are only checked. In this way, the number of checks on whether a graph vertex falls within the
visible area of the screen or not exactly $n$ ( $n$ is the number of vertices in the graph).

There is a significant difference in the visualization of the edges of the graph compared to the visualization of the vertices of the graph. It is necessary to check the coordinates of each edge (i.e., the coordinates of the vertices that are incident to that edge) and to consider three cases. First, whether both vertices incident with this edge falls within the visible area of the screen. Second, whether one of the vertices incidents with this edge falls within the visible area of the screen. Third, if neither of the two vertices incidents with this edge falls within the visible area of the screen, the given edge intersects the visible area of the screen [13].

Whether a vertex $V$ with $x, y$ coordinates fall into a rectangular area defined by the points $A, B, C$ and $D$, respectively with coordinates $A\left(x_{1}, y_{1}\right), B\left(x_{2}, y_{1}\right), C\left(x_{1}, y_{2}\right)$, and $D\left(x_{2}, y_{2}\right)$ can be made with the following logical expression:

$$
\begin{equation*}
B=\left(\left(x \geq x_{1}\right) \text { and }\left(x \leq x_{2}\right) \text { and }\left(y \geq y_{1}\right) \text { and }\left(y \leq y_{2}\right)\right) \tag{1}
\end{equation*}
$$

If the logical expression $B$ is true, then the vertex $V$ with the coordinates $x, y$ falls in the visible area of the screen. A detailed description of this problem is presented in [13].

Since the intersection of the visible area of the screen by an edge is a special case of the line-line intersection problem, it will be briefly discussed here. Different algorithms for a line segment clipping by the rectangle are presented in [14], [15], and [16]. Various approaches to improve the performance of these algorithms have also been developed - [17] and [18].

In the general case, to calculate the intersection of two lines $a$ and $b$, respectively, determined by the points $A\left(x_{1}, y_{l}\right)$ and $B\left(x_{2}, y_{2}\right)$ for $a$, and the points $C\left(x_{3}, y_{3}\right)$ and $D\left(x_{4}, y_{4}\right)$ for $b$, the following equations can be used [13]:

$$
\begin{gather*}
t=\left(x_{1}-x_{3}\right) *\left(y_{3}-y_{4}\right)-\left(y_{1}-y_{3}\right)^{*}\left(x_{3}-x_{4}\right) /  \tag{2}\\
\left(x_{1}-x_{2}\right)^{*}\left(y_{3}-y_{4}\right)-\left(y_{1}-y_{2}\right)^{*}\left(x_{3}-x_{4}\right), \text { thus } \\
x=x_{1}+t^{*}\left(x_{2}-x_{1}\right) \text { and } y=y_{1}+t^{*}\left(y_{2}-y_{1}\right) \tag{3}
\end{gather*}
$$

or

$$
\begin{aligned}
& u=\left(x_{1}-x_{3}\right) *\left(y_{1}-y_{2}\right)-\left(y_{1}-y_{3}\right) *\left(x_{1}-x_{2}\right) / \\
& \left(x_{1}-x_{2}\right) *\left(y_{3}-y_{4}\right)-\left(y_{1}-y_{2}\right) *\left(x_{3}-x_{4}\right), \text { thus }
\end{aligned}
$$

$$
\begin{equation*}
x=x_{3}+u^{*}\left(x_{4}-x_{3}\right) \text { and } y=y_{3}+u^{*}\left(y_{4}-y_{3}\right) \tag{5}
\end{equation*}
$$

If the lines $a$ and $b$ are parallel or coincident, then:

$$
\begin{equation*}
\left(x_{1}-x_{2}\right) *\left(y_{3}-y_{4}\right)-\left(y_{1}-y_{2}\right) *\left(x_{3}-x_{4}\right)=0 \tag{6}
\end{equation*}
$$

If the lines $a$ and $b$ have an intersection point, then:
$0 \leq t \leq 1$ and $0 \leq u \leq 1$, i.e., $t \in[0,1]$ and $u \in[0,1]$
When one of the two lines is horizontal, for example line $b$, defined by the points $C\left(x_{3}, y_{3}\right)$ and $D\left(x_{4}, y_{4}\right)$, then the parameters $t$ and $u$ can be calculated as follows:

$$
\begin{gathered}
t=\left(-\left(y_{1}-y_{3}\right) *\left(x_{3}-x_{4}\right)\right) / d \text {, and } \\
u=\left(\left(x_{1}-x_{3}\right) *\left(y_{1}-y_{2}\right)-\left(y_{1}-y_{3}\right) *\left(x_{1}-x_{2}\right)\right) / d \text {, where } \\
d=-\left(y_{1}-y_{2}\right) *\left(x_{3}-x_{4}\right) \text {, and } d \neq 0 \\
\text { if } 0 \leq t \leq 1 \text { and } 0 \leq u \leq 1 \text {, i.e.t } \in[0,1] \text { and } u \in[0,1] \text {, then }
\end{gathered}
$$

$$
\begin{gathered}
x=x_{1}+t^{*}\left(x_{2}-x_{1}\right) ; y=y_{1}+t^{*}\left(y_{2}-y_{1}\right), \text { or } \\
x=x_{3}+u^{*}\left(x_{4}-x_{3}\right) ; y=y_{3}+u^{*}\left(y_{4}-y_{3}\right)=y_{3}, \\
\text { because } y_{3}=y_{4} \text { and }\left(y_{4}-y_{3}\right)=0
\end{gathered}
$$

When one of the two lines is vertical, for example the line $b$, defined by the points $C\left(x_{3}, y_{3}\right)$ and $D\left(x_{4}, y_{4}\right)$, then the parameters $t$ and $u$ can be calculated as follows:

$$
\begin{gather*}
t=\left(x_{1}-x_{3}\right)^{*}\left(y_{3}-y_{4}\right) / d \text {, and }  \tag{9}\\
u=\left(\left(x_{1}-x_{3}\right)^{*}\left(y_{1}-y_{2}\right)-\left(y_{1}-y_{3}\right) *\left(x_{1}-x_{2}\right)\right) / d \text {, where } \\
d=\left(x_{1}-x_{2}\right) *\left(y_{3}-y_{4}\right) \text {, and } d \neq 0 \\
\text { if } 0 \leq t \leq 1 \text { and } 0 \leq u \leq 1 \text {, i.e.t } 0[0,1] \text { and } u \in[0,1] \text {, then } \\
x=x_{1}+t^{*}\left(x_{2}-x_{1}\right) ; y=y_{1}+t^{*}\left(y_{2}-y_{1}\right) \text {, or } \\
x=x_{3}+u^{*}\left(x_{4}-x_{3}\right)=x_{3} \text {, because } \\
y_{3}=y_{4} \text { and }\left(y_{4}-y_{3}\right)=0 ; y=y_{3}+u^{*}\left(y_{4}-y_{3}\right)
\end{gather*}
$$

Although only the edges that intersect the visible area of the screen (or are internal to it) are drawn, it is necessary to check all the edges of the graph. Similarly, as it is necessary to check all $n$ vertices of a graph, so it is also necessary to check all $m$ edges of a graph.

In the present study, three different visualization methods for large graph structures will be analyzed. They will be experimentally verified.
The first method (Rectangle) checks that the rectangle of the visible area of the screen has a common area with the rectangle formed by the coordinates of the two vertices incident to the edge considered. In this method, all edges of the graph are checked, but only those in which the condition is fulfilled are drawn. The relative position of the two rectangles may be such that one rectangle is contained in the other, the two rectangles partially overlap or have no common area.

The second method (Intersection) checks whether or not an edge intersects the display area. Only when this is true, does a given edge draw. There are also three options. First, the edge is outside the visualization area. Second, the edge is inside the visualization area. Third, the edge intersects the visualization area at one or two points.
The third method (Combined) combines the Rectangle and Intersection methods. This method first checks whether the two rectangular zones (the one defined by the coordinates of the two vertices incident to the edge and the one defined by the visualization area) have a common area or not. When this is true, the second method is used to determine the coordinates of the point (or points) of the intersection of the edge and the visualization area. It should be noted that in the Combined method, the Intersection method may not be executed even if only one of the two points is internal to the visualization area. This is because in this case the edge must necessarily be drawn. Specialized software was developed to test and analyze the three methods.

There are many programming languages used for developing software for different purposes [19]. RAD Studio is an integrated development environment for the rapid development of applications of various types - console, desktop, mobile and web-based. Embedded compilers can generate executable code for different operating systems, such as Windows (x86 and x64), OS X (32-bit only), iOS, and Android. This integrated environment for application
development includes a wide range of tools. For instance, a source code editor, a form designer for both the VCL library and the FMX multi-platform library, an integrated debugger for all target platforms including mobile, source control, and many others. Additionally, this integrated environment offers many ready-made libraries of classes and component packages. It also makes it possible to create new libraries of classes and components or to add ones developed by other developers [20].

The RAD Studio C++ Builder variant, which is based on the C++ programming language, will be used for this development. Therefore, some key concepts in this programming language will be presented.
$\mathrm{C}++$ is one of the most used languages for developing professional software products [21]. This may be due to the flexible syntax that this programming language offers. It must be noted that other high-level programming languages offer this option as well, e.g., C\# and Delphi. However, the $\mathrm{C}++$ language has very good possibilities for structural and object-oriented programming. Many mechanisms for linking different program elements such as functions, objects, structural data types, recursive function calls, portability, and many others are also available.

The key concept of using C++ is the ability to use classes and objects. Classes allow data encapsulation, implicit type conversion, memory management, and more. When an application is running, it is possible to determine dynamically which object with which class (even parental) is associated with. This approach is known as polymorphism and is possible due to the "late bonding" technology. Application development environments that support C ++ usually include extensions that make it a "dialect," but they give developers additional capabilities that are not provided in the basic language standard. Such features include, for example, built-in functions, dynamic memory management, using aliases, reflections, and more [22]-[25].

The C++ Builder IDE (part of the RAD Studio package) is an environment for developing applications for different operating systems. Also, the integrated environment provides many tools and capabilities, such as expanding the VCL and FMX class libraries.

This IDE includes a powerful code editor with debugging capabilities, a designer of forms for designing applications with a graphical user interface (both for the VCL library and for the FMX multi-platform library); a debugger for all target platforms (including mobile and web-based). It also offers many ready-made libraries of component and data control, but also provides the ability to extend existing libraries by installing packages with components and modules with classes created by other developers.

The text editor of the environment has all the features that modern code editors offer. The editor supports a complete code function. This feature makes writing a code easier, it also reduces the chances to commit syntax errors. When certain system or user events arise when a user interacts with controls from the user interface of an application, it is necessary to write program code in response to these actions. This code is encapsulated in functions called event handlers. The implementation of these functions is done in the code editor. The event handler function is the application response
to the event that occurred.
The visual design tool, i.e., the Form Designer, makes it possible to create a quick (and relatively easy) graphical user interface for an application. This designer can be used both for designing a graphical user interface for form-based applications, as well as for designing mobile applications and web pages. The designer also supports real-time data visualization technology (from different sources). This enables developers to "see" the final view of an application during the design time stage.

The final stage in developing an application is its compiling into an intermediate language or machine instructions. This is necessary to enable either the virtual machine or the target operating system to start an application. In RAD Studio (C++ Builder) there are two ways to compile an application. First, compiling with subsequent testing and second, compiling, and testing simultaneously (using the built-in debugger). The testing process enables developers to check the values of the variables and the results of the functions during the runtime of an application.

## II. Materials and Method

ClipRectMonitor software is created for experimental purposes. A session with the ClipRect Monitor application is shown in Fig. 1.


Fig. 1 A session with the ClipRect Monitor application
The ClipRect Monitor application has the following functionalities:

- Setting the coordinates of the visualization area by typing on the keyboard or using the mouse with the manipulators to adjust the size;
- Setting the coordinates of the two vertices that are incident to the edge (possible by entering the coordinates of the vertices from the keyboard or dragging the vertices with the mouse);
- Calculating the coordinates of the points of intersection of the edge with the visualization area;
- Calculating the parameters needed to calculate the coordinates of the intersection points of the edge with the visualization area (as presented in I. Introduction).

All parameters are displayed by the ClipRect Monitor application in a special panel - Values Monitoring, which is shown in Fig. 2.

## Values monitoring

ClipRect $\{\mathrm{X} 1, \mathrm{Y} 1, \mathrm{X} 2, \mathrm{Y} 2\}$

$$
\{\mathrm{X} 1=70, \mathrm{Y} 1=73 ; \mathrm{X} 2=328, \mathrm{Y} 2=322\}
$$

## Yertices Information

Vertex 1 (Start ) $\{X, Y\}=X=251, Y=48$
Vertex 2 (End) $\{X, Y\}=X=37, Y=259$

## Intersection Points

| $S L$ | $=\{70,226\}$ | $S T$ |
| ---: | :--- | :--- |
| $S$ | $=\{226,73\}$ |  |
| $S R$ | $=\{0,0\}$ | $S B=\{0,0\}$ |
|  |  |  |

## TOP, LEFT Intersection Points Info



Fig. 2 The Values Monitoring Panel
Since each edge can have 0,1 , or 2 intersection points with the visualization area, no more than two sets of controls are needed to visualize the parameters used to calculate the coordinates of the intersection point (or points). Thus, the possible options for calculating the parameters are exactly eleven, respectively:

- Without intersection point;
- Intersecting one of the borders of the rectangular visualization area - Left, Top, Right or Bottom;
- Combinations of the intersection of two borders of the rectangular area, respectively Left - Top, Left - Right, Left - Bottom, Top - Right, Top - Bottom and Right Bottom.
The ClipRect Monitor application has the function of creating and storing (in external files) graph structures with many vertices and edges (in the order of millions). Each graph can be visualized by drawing the vertices and edges (Fig. 3), by drawing the vertices and rectangular areas formed by the two incident vertices with each edge (Fig. 4), and combined by drawing the vertices, edges and rectangular areas formed by the two vertices incident to each edge. The coordinates of the vertices incident to each edge represent the coordinates of the upper left corner and the lower right corner of each rectangular area in which the given edge is inscribed.

A graph presents these three methods for visualization with 15 vertices and 105 edges (Figs. 3, 4 and 5).


Fig. 3 Grpah G_15_105 visualized by vertices and edges


Fig. 4 Graph G_15_105 visualized by vertices and rectangles


Fig. 5 Graph G_15_105 visualized by vertices, edges, and rectangles
The graph structures are stored internally in dynamic arrays for the vertices and edges, respectively. The ClipRect Monitor application can process these arrays. Each dynamic array is a record type structure (i.e., they are record arrays). Each record is a collection of values of a data. Because dynamic arrays are read-write, any value can be read and written by the ClipRect Monitor app.

## III. Results and Discussion

The experiments in this study were conducted with the ClipRect Monitor software. This application was run on a computer with the Windows 10 operating system (OS).

## A. The Methodology of the Experiments

Six graphs were prepared to determine the effectiveness of the three methods. The number of the vertices and the edges of these graphs was proportional to the size of the drawing area - canvas (Table I). The drawing areas are also six and have different sizes, such that each subsequent area has a height and width twice the size of the previous one. Besides, for all areas, the width/height ratio is exactly 16:9. This ratio corresponds to the standard Full HD (Full High Definition). This standard is widely used in monitors as well as laptops, mobile phones, and tablets.

TABLE I
Summarized Information of Graphs and Canvases

| Graph Information |  |  | Drawing Canvas Information (in px) |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ID | Vertices | Edges | Width | Height | W/H | Canvas Area |
| G_1 | 250 | 3125 | 4000 | 2250 | 1.78 | 9000000 |
| G_2 | 355 | 6250 | 8000 | 4500 | 1.78 | 36000000 |
| G_3 | 500 | 12500 | 16000 | 9000 | 1.78 | 144000000 |
| G_4 | 710 | 25000 | 32000 | 18000 | 1.78 | 576000000 |
| G_5 | 1000 | 50000 | 64000 | 36000 | 1.78 | 2304000000 |
| G_6 | 1415 | 100000 | 128000 | 72000 | 1.78 | 9216000000 |

The ClipRect Monitor application was executed four times for each of the six graphs. The application scanned the drawing area diagonally and counted the time needed to analyze and draw the vertices and edges of the graph that fall into the corresponding visualization area. This operation was performed for each of the three methods (Rectangle, Intersection, and Combined) to determine the objects to be visualized for each specific area. The results obtained were averaged to a more accurate account for the execution time of each method.

## B. Experimental Conditions

The ClipRect Monitor application was run on a personal computer (PC) with 64-bit Windows 10 OS (Professional). The hardware configuration has the following characteristics: Processor: Intel Core i5-9300H (four cores, eight logical processors with 2.40 GHz base frequency ( $4.10 \mathrm{GHz} \max$ frequency), 8 MB Cache; RAM Memory: 8 GB .

## C. Experimental Results

Table II shows the results of the experiment conducted with graph G_6 (containing 1415 vertices and 100000 edges, respectively). The results of the other graphs G_1 $\div$ G_5 are similar. All graphs were tested with 100 visualization areas.

The largest drawing area that the ClipRect Monitor application scanned during the experiments was 128000 x 72000 pixels. This scan was performed for graph G_6 with 1415 vertices and 100000 edges, respectively. With the three methods (Rectangle, Intersection and Combined), the visualization area was diagonally positioned relative to the drawing area.

TABLE II
Results for the G_6 Graph (From $1280 \times 729$ Position)

| Clip Rectangle Position |  | Drawing Method |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Rectangle |  | Intersection |  | Combined |  |
| Left | Top | Edges | Time | Edges | Time | Edges | Time |
| 0 | 0 | 11 | 547 | 24 | 2110 | 11 | 531 |
| 1280 | 720 | 50 | 547 | 62 | 2141 | 39 | 547 |
| 2560 | 1440 | 121 | 547 | 93 | 2172 | 64 | 547 |
| 3840 | 2160 | 341 | 547 | 136 | 2157 | 95 | 547 |
| 5120 | 2880 | 545 | 547 | 177 | 2172 | 140 | 547 |
| 6400 | 3600 | 846 | 547 | 271 | 2172 | 211 | 547 |
| 7680 | 4320 | 1443 | 547 | 342 | 2156 | 265 | 562 |
| 8960 | 5040 | 2083 | 547 | 389 | 2171 | 312 | 578 |
| 10240 | 5760 | 2435 | 547 | 426 | 2156 | 341 | 593 |
| 11520 | 6480 | 2838 | 547 | 457 | 2187 | 370 | 594 |
| 12800 | 7200 | 3307 | 547 | 480 | 2156 | 377 | 609 |
| 14080 | 7920 | 3988 | 562 | 570 | 2187 | 463 | 609 |
| 15360 | 8640 | 4607 | 563 | 625 | 2172 | 514 | 640 |
| 16640 | 9360 | 5340 | 563 | 810 | 2172 | 706 | 641 |
| 17920 | 10080 | 6099 | 563 | 885 | 2172 | 781 | 672 |
| 19200 | 10800 | 6799 | 562 | 899 | 2157 | 796 | 688 |
| 20480 | 11520 | 7563 | 578 | 905 | 2141 | 788 | 688 |
| 21760 | 12240 | 8356 | 578 | 932 | 2157 | 810 | 719 |
| 23040 | 12960 | 9184 | 562 | 929 | 2172 | 815 | 734 |
| 24320 | 13680 | 9789 | 578 | 940 | 2172 | 835 | 734 |
| 25600 | 14400 | 10703 | 562 | 1055 | 2157 | 952 | 765 |
| 26880 | 15120 | 11226 | 578 | 1070 | 2172 | 981 | 766 |
| 28160 | 15840 | 12125 | 578 | 1085 | 2156 | 993 | 797 |
| 29440 | 16560 | 13070 | 579 | 1137 | 2156 | 1049 | 812 |
| 30720 | 17280 | 13909 | 594 | 1221 | 2172 | 1147 | 844 |
| 32000 | 18000 | 14771 | 578 | 1197 | 2156 | 1127 | 844 |
| 33280 | 18720 | 15622 | 594 | 1200 | 2156 | 1137 | 875 |
| 34560 | 19440 | 16419 | 593 | 1264 | 2172 | 1187 | 891 |
| 35840 | 20160 | 16944 | 594 | 1226 | 2157 | 1163 | 891 |
| 37120 | 20880 | 17864 | 594 | 1293 | 2156 | 1241 | 922 |
| 38400 | 21600 | 18513 | 594 | 1298 | 2172 | 1238 | 922 |
| 39680 | 22320 | 19198 | 625 | 1325 | 2172 | 1278 | 938 |
| 40960 | 23040 | 19386 | 594 | 1300 | 2156 | 1260 | 954 |
| 42240 | 23760 | 20409 | 594 | 1325 | 2157 | 1280 | 969 |
| 43520 | 24480 | 21262 | 610 | 1422 | 2156 | 1373 | 1000 |
| 44800 | 25200 | 21692 | 610 | 1434 | 2140 | 1399 | 984 |
| 46080 | 25920 | 22059 | 610 | 1446 | 2172 | 1414 | 1016 |
| 47360 | 26640 | 22686 | 610 | 1447 | 2156 | 1419 | 1015 |
| 48640 | 27360 | 23119 | 594 | 1488 | 2172 | 1461 | 1015 |
| 49920 | 28080 | 23511 | 609 | 1429 | 2156 | 1418 | 1032 |
| 51200 | 28800 | 23879 | 609 | 1491 | 2172 | 1483 | 1047 |
| 52480 | 29520 | 24458 | 610 | 1504 | 2188 | 1493 | 1047 |
| 53760 | 30240 | 24801 | 609 | 1535 | 2156 | 1528 | 1062 |
| 55040 | 30960 | 25177 | 609 | 1544 | 2172 | 1531 | 1063 |
| 56320 | 31680 | 25224 | 609 | 1577 | 2172 | 1569 | 1079 |
| 57600 | 32400 | 25747 | 610 | 1568 | 2172 | 1564 | 1078 |
| 58880 | 33120 | 25818 | 609 | 1589 | 2172 | 1585 | 1078 |
| 60160 | 33840 | 26162 | 609 | 1557 | 2172 | 1557 | 1093 |
| 61440 | 34560 | 26371 | 610 | 1604 | 2156 | 1603 | 1093 |
| 62720 | 35280 | 25939 | 625 | 1588 | 2156 | 1588 | 1094 |
| 64000 | 36000 | 26124 | 625 | 1529 | 2172 | 1529 | 1078 |
| 65280 | 36720 | 26073 | 609 | 1500 | 2156 | 1500 | 1094 |
| 66560 | 37440 | 25941 | 610 | 1554 | 2156 | 1554 | 1078 |
| 67840 | 38160 | 25769 | 609 | 1510 | 2172 | 1506 | 1078 |
| 69120 | 38880 | 25788 | 625 | 1565 | 2172 | 1563 | 1078 |
| 70400 | 39600 | 25450 | 625 | 1448 | 2156 | 1444 | 1078 |
| 71680 | 40320 | 25264 | 625 | 1432 | 2172 | 1425 | 1079 |
| 72960 | 41040 | 24697 | 610 | 1495 | 2172 | 1487 | 1063 |
| 74240 | 41760 | 24669 | 609 | 1484 | 2156 | 1477 | 1063 |

TABLE III
Results for the G_6 Graph (From 75520 x 42480 Position)

| Clip Rectangle Position |  | Drawing Method |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Rectangle |  | Intersection |  | Combined |  |
| Left | Top | Edges | Time | Edges | Time | Edges | Time |
| 75520 | 42480 | 24237 | 609 | 1431 | 2156 | 1424 | 1046 |
| 76800 | 43200 | 24008 | 609 | 1516 | 2172 | 1494 | 1047 |
| 78080 | 43920 | 23403 | 610 | 1448 | 2172 | 1429 | 1031 |
| 79360 | 44640 | 23379 | 609 | 1493 | 2156 | 1473 | 1031 |
| 80640 | 45360 | 22199 | 609 | 1342 | 2157 | 1322 | 1000 |
| 81920 | 46080 | 21970 | 610 | 1362 | 2172 | 1320 | 1016 |
| 83200 | 46800 | 20932 | 593 | 1350 | 2156 | 1311 | 984 |
| 84480 | 47520 | 20663 | 594 | 1370 | 2125 | 1330 | 969 |
| 85760 | 48240 | 20123 | 609 | 1418 | 2156 | 1372 | 953 |
| 87040 | 48960 | 19875 | 609 | 1424 | 2172 | 1363 | 953 |
| 88320 | 49680 | 18729 | 594 | 1329 | 2141 | 1263 | 937 |
| 89600 | 50400 | 18204 | 594 | 1325 | 2172 | 1263 | 922 |
| 90880 | 51120 | 17420 | 594 | 1357 | 2156 | 1286 | 906 |
| 92160 | 51840 | 17087 | 594 | 1370 | 2156 | 1288 | 891 |
| 93440 | 52560 | 16066 | 578 | 1295 | 2172 | 1227 | 875 |
| 94720 | 53280 | 15604 | 593 | 1287 | 2188 | 1225 | 891 |
| 96000 | 54000 | 14667 | 593 | 1275 | 2157 | 1197 | 844 |
| 97280 | 54720 | 13635 | 578 | 1205 | 2156 | 1111 | 828 |
| 98560 | 55440 | 12591 | 578 | 1161 | 2172 | 1070 | 813 |
| 99840 | 56160 | 11804 | 578 | 1114 | 2157 | 1026 | 781 |
| 101120 | 56880 | 11309 | 578 | 1134 | 2156 | 1044 | 781 |
| 102400 | 57600 | 10700 | 578 | 1147 | 2172 | 1047 | 766 |
| 103680 | 58320 | 9734 | 578 | 1151 | 2172 | 1052 | 750 |
| 104960 | 59040 | 8856 | 578 | 1071 | 2203 | 942 | 735 |
| 106240 | 59760 | 8385 | 578 | 1039 | 2172 | 914 | 719 |
| 107520 | 60480 | 7909 | 563 | 991 | 2156 | 877 | 719 |
| 108800 | 61200 | 7037 | 563 | 1013 | 2172 | 878 | 688 |
| 110080 | 61920 | 6470 | 562 | 992 | 2171 | 868 | 672 |
| 111360 | 62640 | 5439 | 563 | 827 | 2187 | 715 | 656 |
| 112640 | 63360 | 4596 | 562 | 832 | 2156 | 707 | 640 |
| 113920 | 64080 | 3956 | 563 | 734 | 2172 | 612 | 625 |
| 115200 | 64800 | 3365 | 562 | 705 | 2172 | 597 | 610 |
| 116480 | 65520 | 2873 | 563 | 652 | 2172 | 544 | 593 |
| 117760 | 66240 | 2074 | 547 | 578 | 2157 | 470 | 578 |
| 119040 | 66960 | 1667 | 562 | 568 | 2171 | 456 | 578 |
| 120320 | 67680 | 1266 | 563 | 406 | 2172 | 299 | 563 |
| 121600 | 68400 | 959 | 547 | 302 | 2172 | 219 | 562 |
| 122880 | 69120 | 665 | 547 | 247 | 2172 | 200 | 547 |
| 124160 | 69840 | 584 | 547 | 234 | 2172 | 186 | 547 |
| 125440 | 70560 | 84 | 547 | 84 | 2172 | 55 | 546 |
| 126720 | 71280 | 23 | 547 | 34 | 2187 | 23 | 547 |

For each visualization area, each of the visualization methods was checked, respectively, which vertices and which edges of the graph under consideration (in this case G_6) should be drawn and which not. The Combined method executes the Rectangle method first and then the Intersection method.

Tables II, III, and Fig. 6 show that the Intersection method was the slowest compared to the other two methods in terms of the number of edges of the graph that were analyzed. In this method, the time for analysis and drawing of the
corresponding edges of the graph is similar for all visualization areas. In the Rectangle and Combined methods, the time to analyze and draw the corresponding edges of the graph is similar when the visualization areas are at the beginning and end of the diagonal of the drawing area.


Fig. 6 Comparison between the three methods in terms of the time ( $x$-axis in milliseconds) for analyzing and drawing the edges of a graph for each of the visualization areas ( $y$-axis)


Fig. 7 Comparison between the three methods in terms of the number of analyzed edges ( $y$-axis) for each of the visualization areas ( $x$-axis)


Fig. 8 Comparison between the Intersection and the Combined methods in terms of the number of analyzed edges ( $y$-axis) for each of the visualization areas ( $x$-axis)

When the visualization area is internal to the drawing area, the Rectangle method performs better than the Combined method. The Rectangle method gives the best result in terms of time for analysis and drawing of the edges of the graph. In addition, this time remains relatively
constant for each of the visualization areas.


Fig. 9 Comparison between the number of drawn edges (left $y$-axis) and the time to analyze the need to draw those edges (right $y$-axis) for each of the visualization areas ( $x$-axis) in the Rectangle method


Fig. 10 Comparison between the number of drawn edges (left $y$-axis) and the time to analyze the need to draw those edges (right $y$-axis) for each of the visualization areas ( $x$-axis) in the Intersection method


Fig. 11 Comparison between the number of drawn edges (left y-axis) and the time to analyze the need to draw those edges (right $y$-axis) for each of the visualization areas ( x -axis) in the Combined method

Intersection and Combined methods analyze a smaller number of edges - only those that intersect the visualization area, but not those whose inscribed rectangles have a common area with the visualization area. However, the Rectangle method runs much faster in terms of time to analyze and draw the edges of a graph. This shows that the mathematical calculation of the intersection points that the Intersection and Combined methods performance is a much more time-consuming computational operation than the
validation of the logical expression performed by the Rectangle method (see Equation 1).

Fig. 8 shows a comparison between the Intersection and Combined methods. These two methods both have almost identical results. This is because the Combined method, after executing the Rectangle method, also executes the Intersection method. However, the Combined method is preferred because, although with a slight difference, it performs better than the other two methods.
Fig. 9, Fig. 10 and Fig. 11 show summarized results of the three methods - Rectangle, Intersection and Combined, in terms of the number of drawn edges of the graph and the time to analyze the need to draw them for each of the visualization areas. Fig. 9 shows that in the Rectangle method, the time to analyze the need to draw the edges of a graph is proportional to the number of drawn edges. This is not true of the Intersection method (Fig. 10). In this method, the time to analyze the need to draw the edges of a graph is not proportional to the number of the drawn edges. This time remains relatively constant for all visualization areas. The third method (Combined) combines the characteristics of the other two methods. This method is optimal in terms of the time of analysis of the need to draw the edges of the graph relative to the number of the drawn edges.

## IV. Conclusion

Three different methods for software visualization of large graph structures, respectively Rectangle, Intersection and Combined were presented in this paper. The basic concepts for using software development environments were outlined. Their capabilities for visual designing and event-oriented programming were discussed as well. A brief analysis of the basic features of the environment used to develop the ClipRect Monitor application was made. The main functions of this software were presented. All experimental results in this study were generated with this application. According to the methodology, six graphs were prepared to determine the effectiveness of the three methods. The number of vertices and the edges of these graphs were proportional to the size of the drawing area (canvas). The drawing areas were also six and had different sizes, such that each subsequent area had a height and width twice the size of the previous one. In addition, for all areas, the width/height ratio was exactly 16:9. This ratio is widely used in monitors as well as laptops, mobile phones and tablets. The largest drawing area that the ClipRect Monitor application scanned during the experiments was $128000 \times 72000$ pixels. This scan was performed for graph G_6 with 1415 vertices and 100000 edges. The visualization area was diagonally positioned relative to the drawing area. For each visualization area, each of the three methods, respectively Rectangle, Intersection and Combined was performed. The Combined method executes the Rectangle method first and then the Intersection method. The results showed that the Intersection method was the slowest compared to the other two methods in terms of the number of edges of the graph that were analyzed. When the visualization area was internal to the drawing area, the Rectangle method performed better than the Combined method. The Rectangle method gave the best result in terms of time for analysis and drawing of the edges of the graph. The Combined method combines the
characteristics of the other two methods. This method is optimal in terms of the time of analysis of the need to draw the edges of the graph relative to the number of the drawn edges.

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